



Burnup Adaptation Model in STREAM/RASTK Code System

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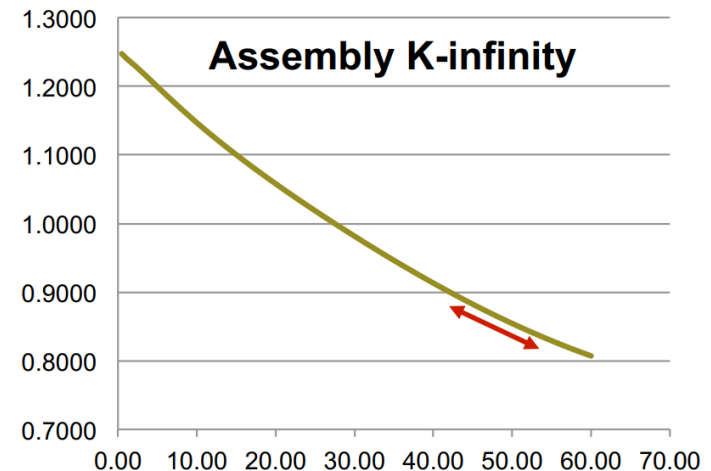
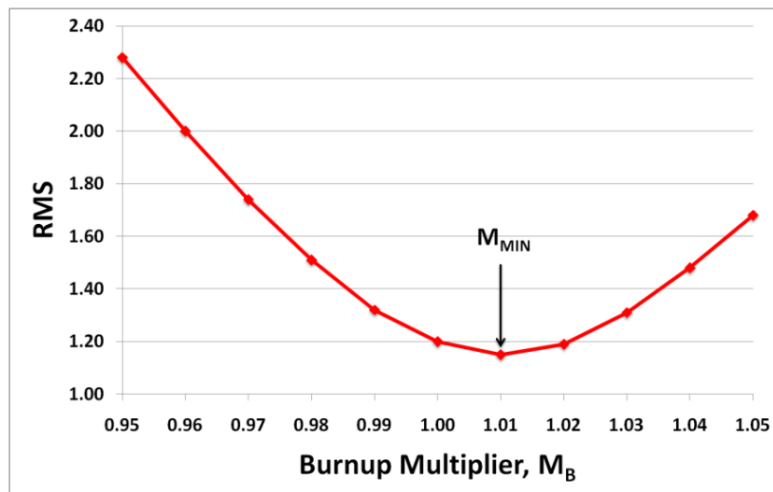
Web. reactorcore.unist.ac.kr

Introduction

▪ Basic Concepts:

- Prediction of in-core power distributions are very sensitive to the accuracy of computed **assembly k-infinity** (e.g., the local reactivity contribution).

▪ Example:



▪ Object of this work:

- Utilizing the reference (measured) data to **minimize/compensate the modeling biases by burnup adaptation.**

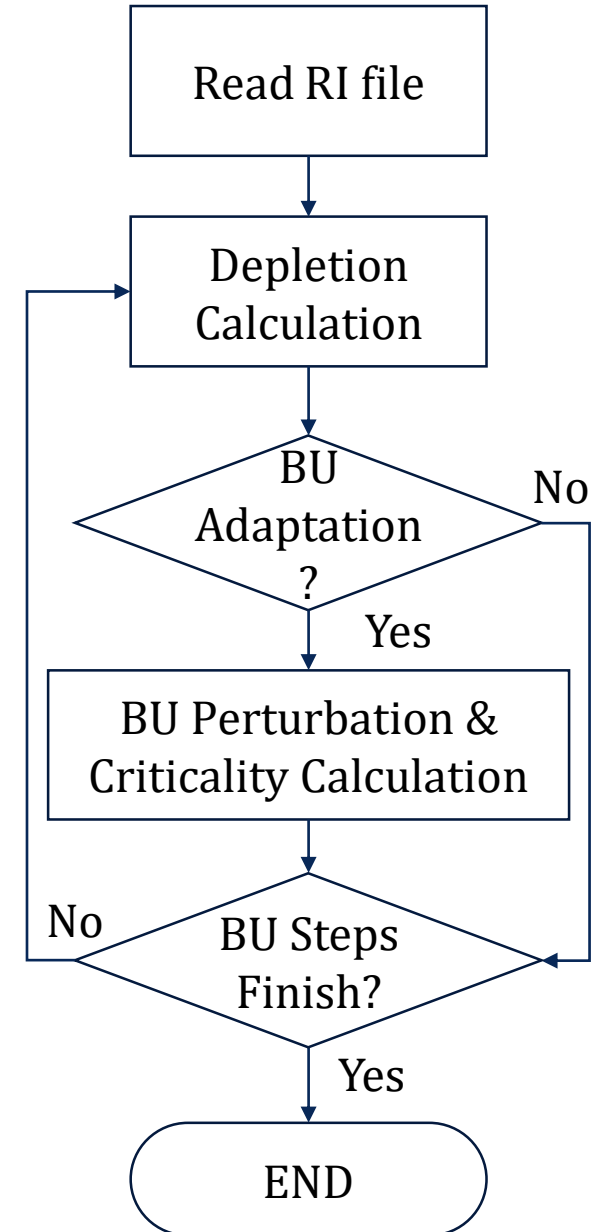
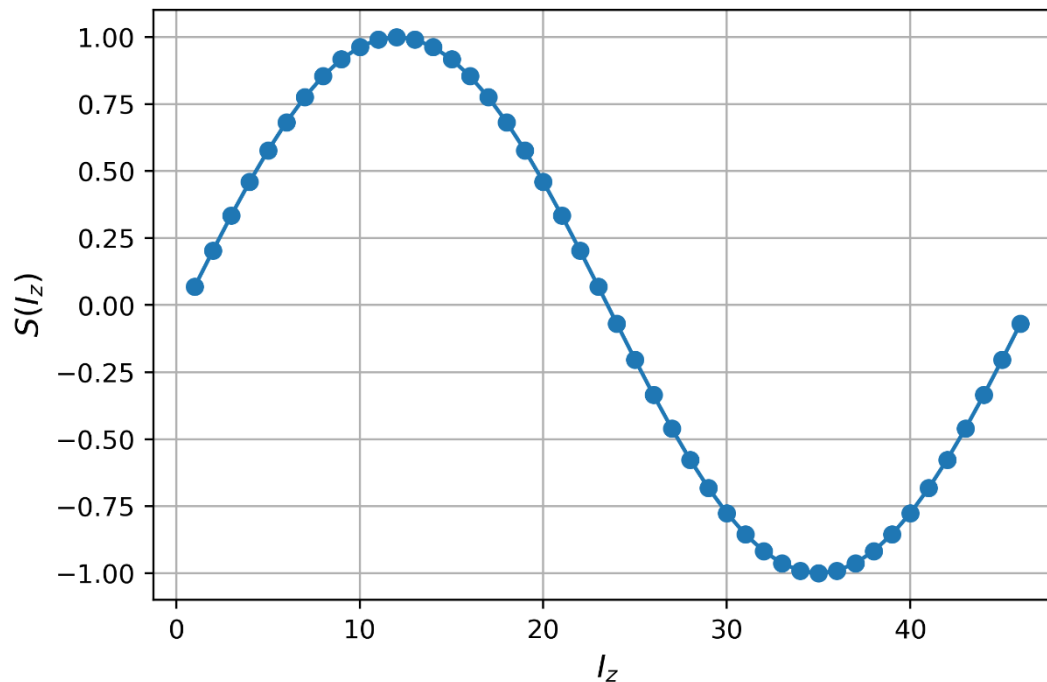
- [1] K. S. Smith, et al., Benchmarks for Quantifying Fuel Reactivity Depletion Uncertainty, **EPRI**, Palo Alto, CA, 1022909, 2011.
[2] D. Lancaster, Utilization of the EPRI Depletion Benchmarks for Burnup Credit Validation, **EPRI**, Palo Alto, CA, 1025203, 2012.
[3] K. S. Smith, et al., PWR Fuel Reactivity Depletion Uncertainty Quantification – Methods Validation Using BEAVRS Flux Map Data, **EPRI**, Palo Alto, CA, 3002006432, 2015.

BU Adaptation (BUA) Model

■ The BU adjustment method

$$BU_{new}(I_z) = BU_{old}(I_z) \cdot \left(\frac{M_B}{M_Z} \cdot S(I_z) + 1.0 \right),$$

$$ND_{new} = ND_{old} - (ND_{Table,old} - ND_{Table,new}),$$



BU Adaptation (BUA) Model

▪ The optimization method

System function:

$$G(\mathbf{x}) = \begin{bmatrix} RMSE(\mathbf{x}) + 0.001 |CBC_{ref} - CBC(\mathbf{x})| \\ |ASI_{ref} - ASI(\mathbf{x})| \end{bmatrix}, \quad \mathbf{x} = \begin{bmatrix} M_B \\ M_z \end{bmatrix}.$$

Objective function:

$$F(\mathbf{x}) = \frac{1}{2} G^T(\mathbf{x}) G(\mathbf{x}) = \frac{1}{2} \begin{bmatrix} \left(RMSE(\mathbf{x}) + 0.001 |CBC_{ref} - CBC(\mathbf{x})| \right)^2 \\ + \left(ASI_{ref} - ASI(\mathbf{x}) \right)^2 \end{bmatrix}.$$

Updating of the variables:

$$\mathbf{x}^{(1)} = \mathbf{x}^{(0)} - \gamma_0 \nabla F(\mathbf{x}^{(0)}) = \mathbf{x}^{(0)} - \gamma_0 J_G(\mathbf{x}^{(0)})^T G(\mathbf{x}^{(0)}),$$

Solving the Jacobian matrix:

$$J_G(\mathbf{x}^{(0)}) \left(\mathbf{x}^{(1)} - \mathbf{x}^{(0)}, \quad \mathbf{x}^{(2)} - \mathbf{x}^{(0)} \right) = \left(G(\mathbf{x}^{(1)}) - G(\mathbf{x}^{(0)}), \quad G(\mathbf{x}^{(2)}) - G(\mathbf{x}^{(0)}) \right).$$

Numerical Test

- **Reactor model:**

- 3D Quarter core of the OPR-1000.

- **Description of the cases:**

- **Case 1 (case w/o BUA):**

- 100% power for C1-C3;

- **Case 2 (reference case):**

- 100% power C1, 80% power C2 (to the same BU as case 1), 100% power C3;

- **Case 3 (case w/ BUA):**

- 100% power for C1-C3, BUA applied at BOC of C3.

Numerical Test

▪ Sub-batch grouping

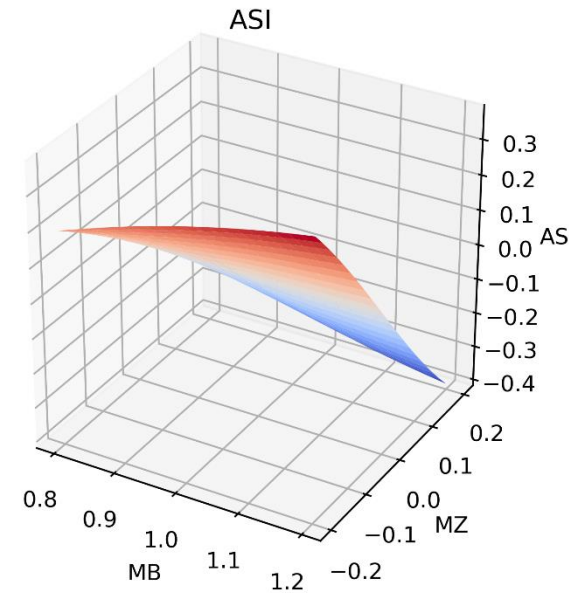
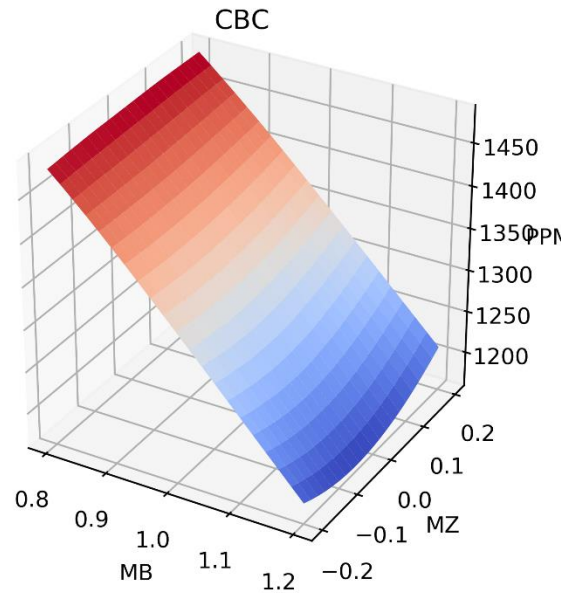
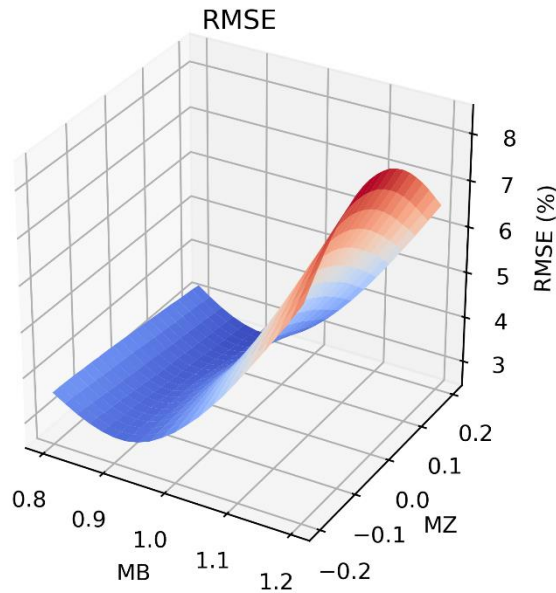
C3 loading pattern:

3 6 18 8 12 12 16 13 R
6 8 6 18 9 10 17 3 R
18 6 11 12 7 18 15 5 R
8 18 12 18 8 12 13 R R
12 9 7 8 18 14 3 R
12 10 18 12 14 6 R R
16 17 15 13 3 R R
13 3 5 R R R
R R R R

LP	Number of FAs	Burning Cycle	Sub-batch
3	4.25	3rd	2
5	2	3rd	2
6	4	3rd	2
7	2	3rd	2
8	4	2nd	1
9	2	2nd	1
10	2	2nd	1
11	1	2nd	1
12	6	2nd	1
13	3	1st	3
14	2	1st	3
15	2	1st	3
16	1	1st	3
17	2	1st	3
18	7	1st	3
Sum	44.25	--	--

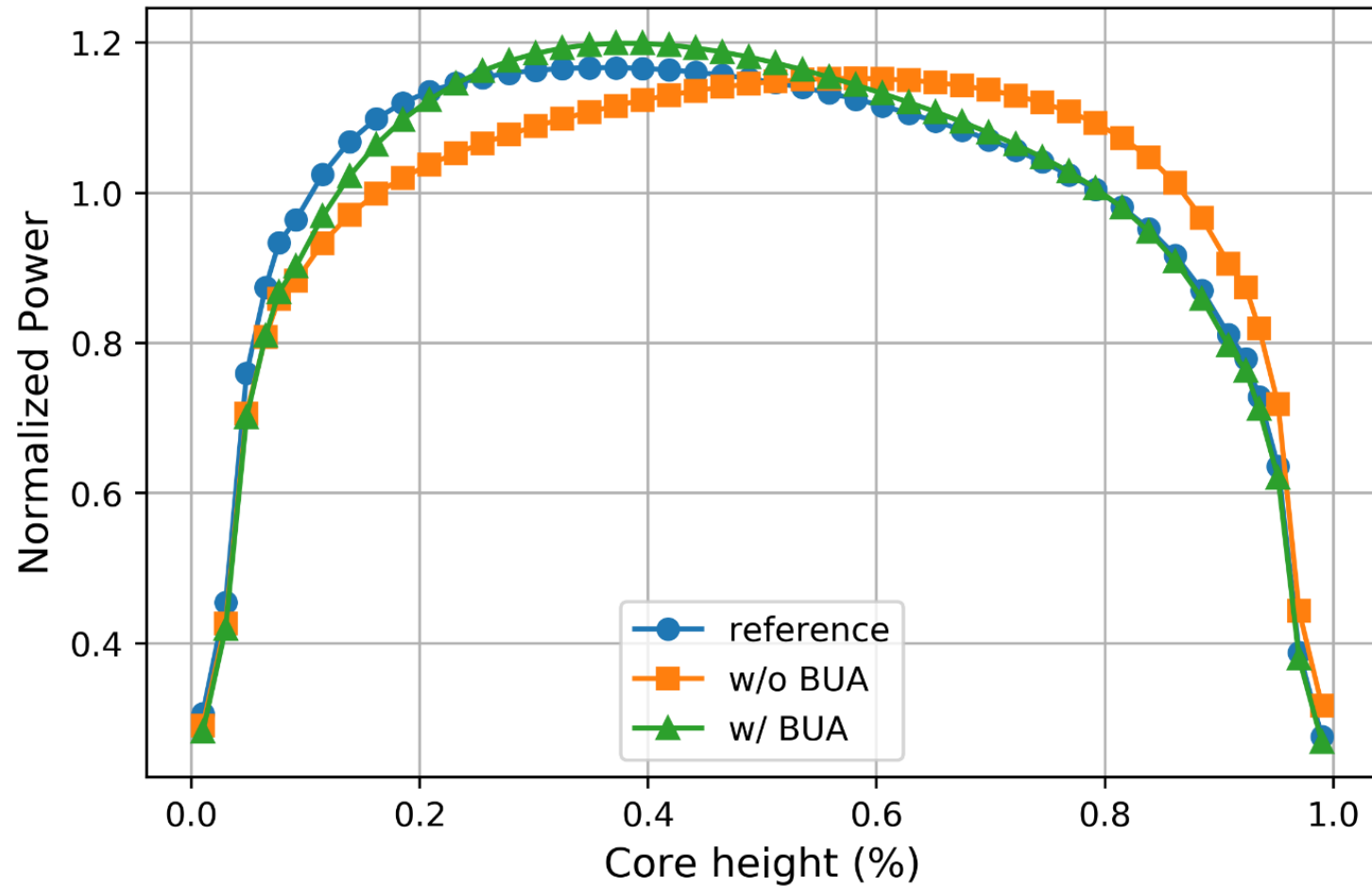
Numerical Test

▪ Searching surface of the BUA factors of sub-batch 1:



Numerical Results

Axial power profiles at C3 BOC:



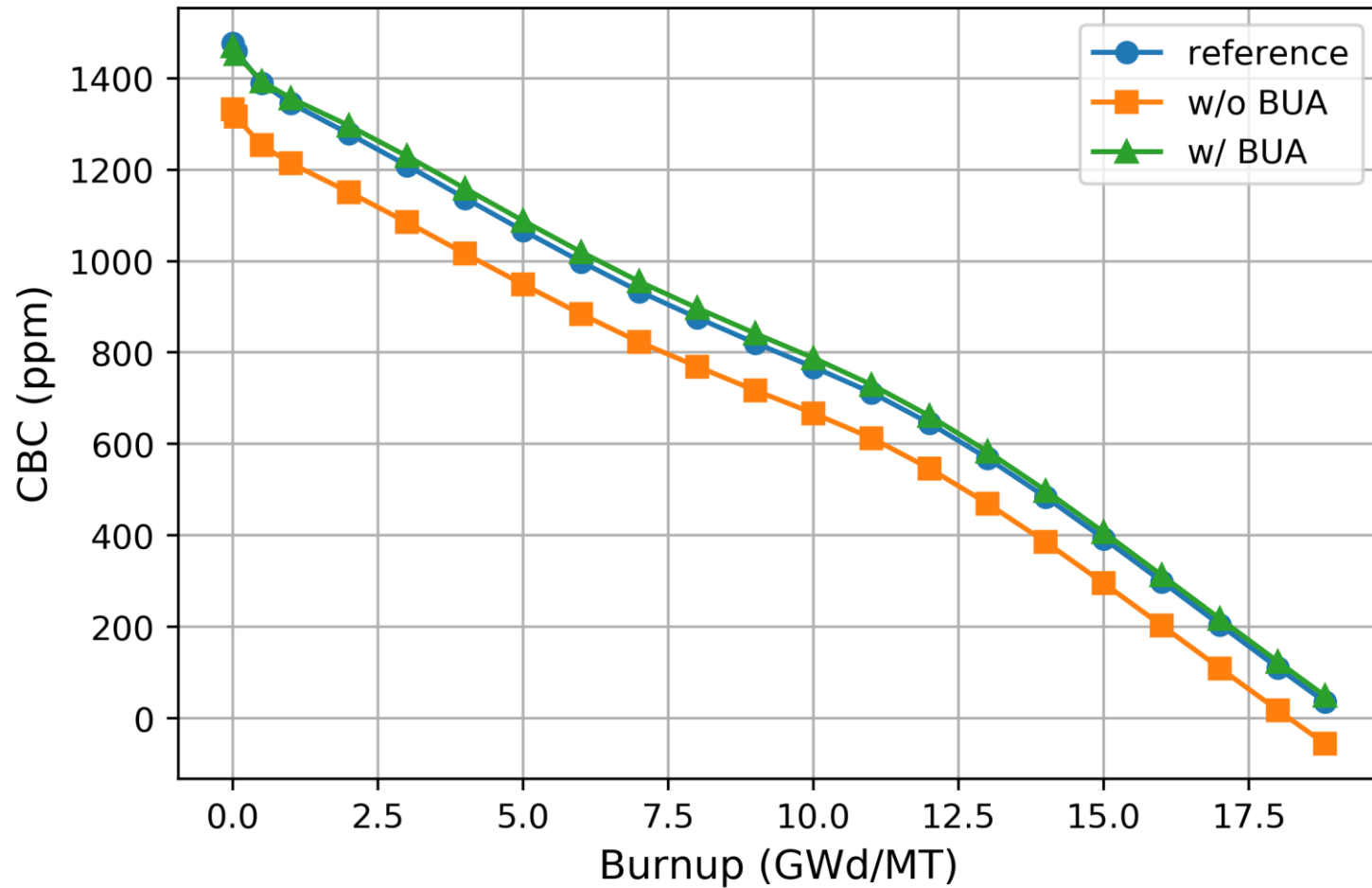
Numerical Results

Radial power differences at C3 BOC:

-5.90	-5.48	-1.53	-3.74	-5.05	-2.91	3.88	6.42
-5.31	-4.75	-1.66	-0.19	0.40	1.33	1.16	0.66
-5.48	-4.49	-3.35	-1.42	-3.73	-1.47	4.28	3.74
-4.75	-2.76	-2.75	-0.44	1.27	1.53	1.09	-1.13
-1.53	-3.35	-4.58	-3.20	-1.11	2.64	5.38	5.73
-1.66	-2.76	-2.75	-1.48	-0.06	1.03	1.00	0.41
-3.74	-1.42	-3.20	0.10	-0.85	0.33	5.44	
-0.19	-0.45	-1.48	-0.17	0.68	0.65	0.79	
-5.05	-3.73	-1.11	-0.85	3.05	4.32	3.17	
0.39	1.26	-0.06	0.68	0.81	0.51	-1.14	
-2.91	-1.47	2.64	0.33	4.31	2.81	Min	-5.90
1.32	1.52	1.03	0.65	0.51	-1.39		-5.31
3.87	4.28	5.38	5.43	3.17		Max	6.42
1.15	1.09	0.99	0.78	-1.14			1.53
6.42	3.74	5.73		w/o BUA (%) w/ BUA (%)		RMS	3.84
0.66	-1.13	0.40					1.68

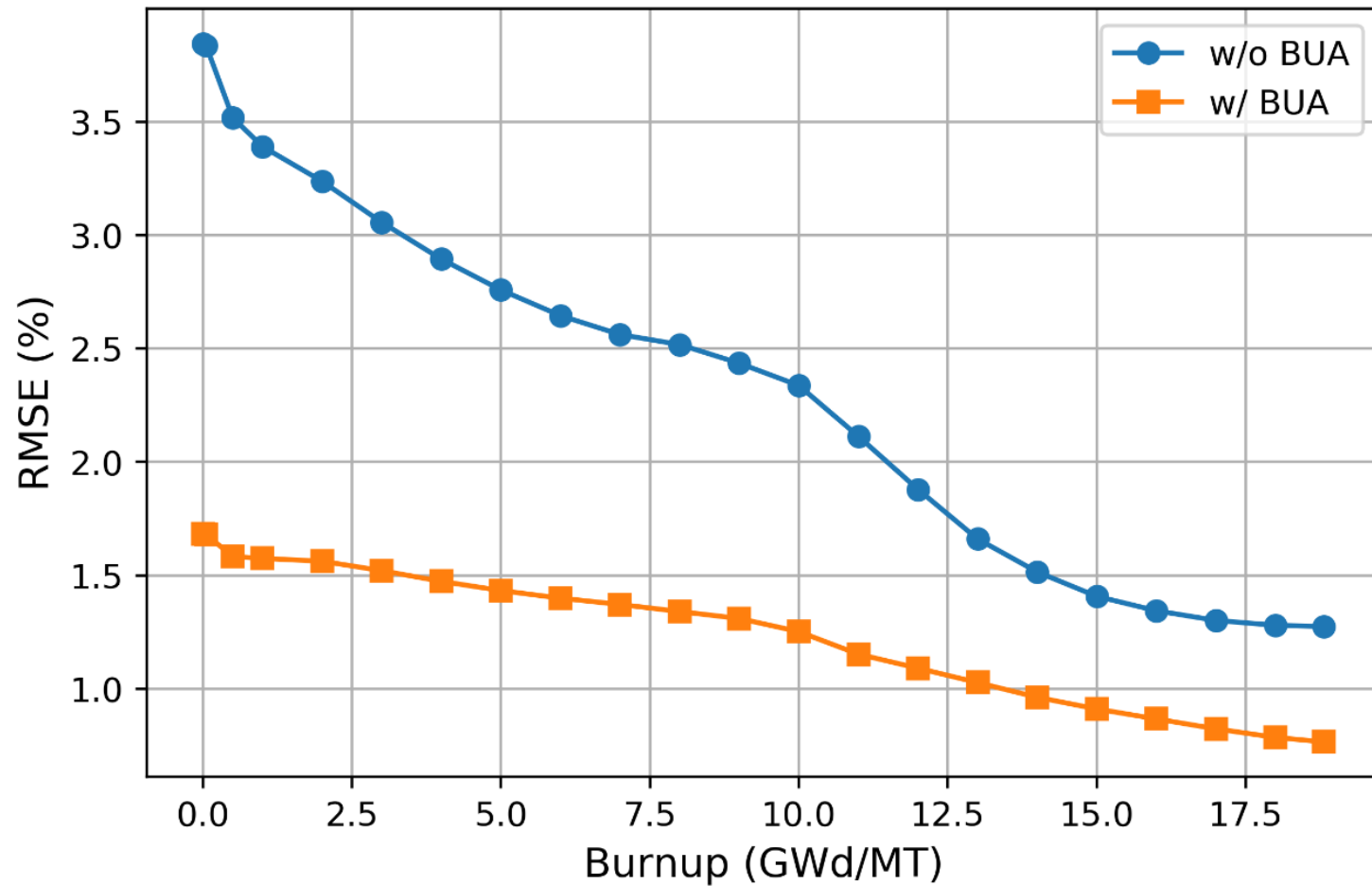
Numerical Results

CBC curve of C3:



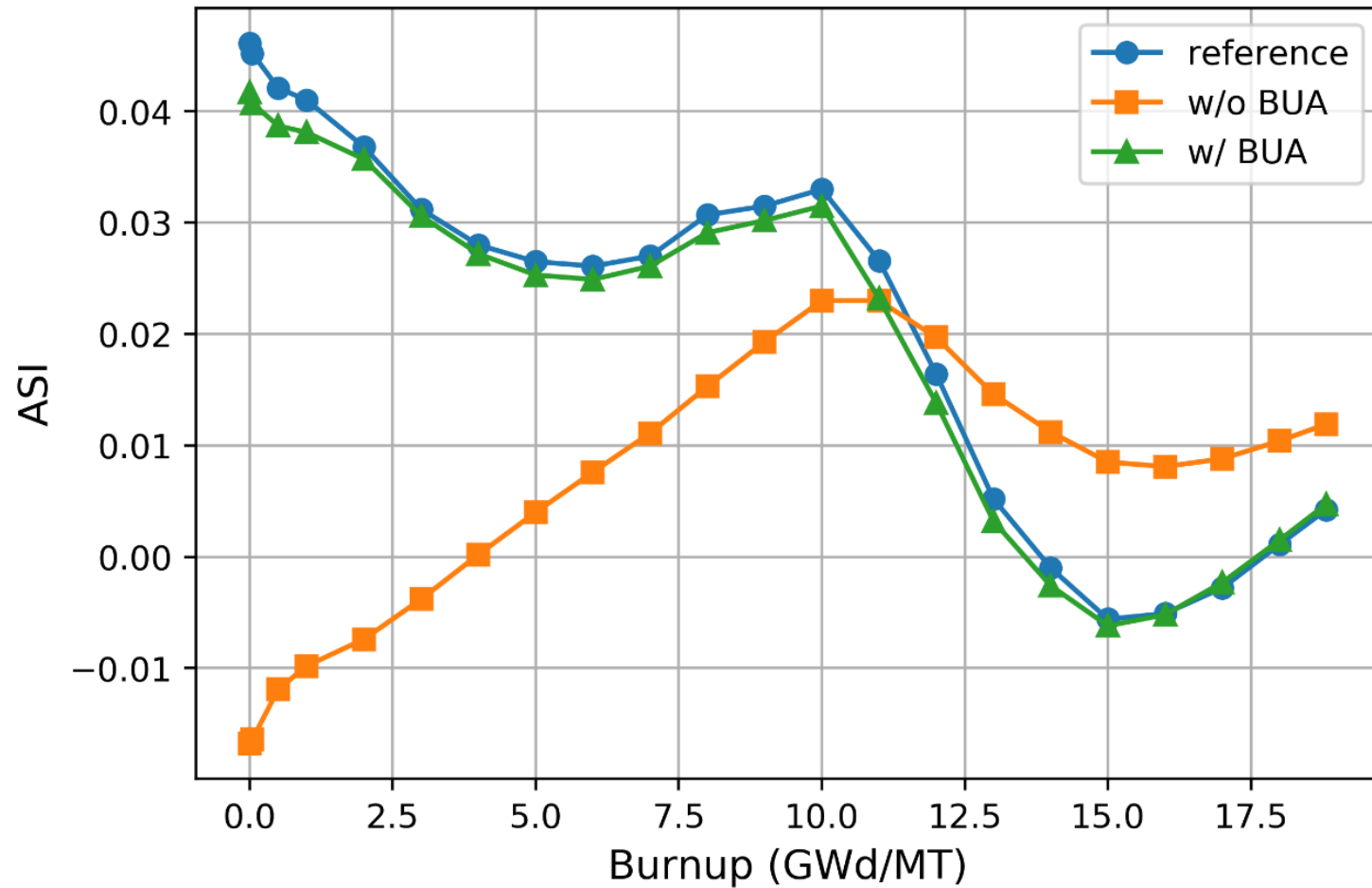
Numerical Results

Radial power RMSE of C3:



Numerical Results

ASI of C3:



Conclusions

- A burnup adaptation model has been developed in the STREAM/RASTK 2-step code system:
 - **Compensating** the modeling biases in practical application of actual core operating analysis;
 - Adopting the **2D power, ASI and CBC** from the reference (e.g., in-core detector system) as the target for optimization;
 - Utilizing the **Gradient Descent** method for optimization.

- Tests on the OPR-1000 core model is successful.

- Further investigation:
 - Auto-grouping of the FAs;
 - Simultaneous optimization of the factors for all groups.

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