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## Three-dimensional Direct Numerical Simulations of Turbulent Lifted Non-premixed Hydrogen Jet Flames near Auto-ignition Limit

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### ABSTRACT

The characteristics of turbulent lifted non-premixed hydrogen jet flames under various coflow conditions have widely been investigated due to their relevance to practical applications. Three 3-D DNSs of turbulent lifted hydrogen/air jet flames in heated coflows near auto-ignition limit are performed to examine the stabilization mechanisms and flame structure of turbulent lifted jet flames.

Key Words: DNS, H<sub>2</sub> jet flames, stabilization mechanism

Three different DNSs of spatially-developing turbulent lifted jet flames were performed in a 3-D slot-burner configuration. Fuel issues from a central jet, which consists of 65% hydrogen and 35% nitrogen by volume at an inlet temperature of  $T_i$ =400K. The central jet is surrounded on either side by co-flowing heated air streams at three different temperatures of  $T_c$ =750 (Case L), 850 (Case M), and 950 K (Case H) and atmospheric pressure. The fuel jet and coflow velocities are specified as  $U_i=240$  m/s and and  $U_c=2$  m/s, respectively. The fuel jet width, H, is 2 mm such that the jet Reynolds number.  $Re_i = (U_i H/\nu)$ , is approximately 8000. The computational domain is  $15H \times 20H \times 3H$  in the streamwise, x, transverse, y, and spanwise, z, directions with 2000×1600×400 grid points. A uniform grid spacing of 15 µm is used in the x- and z-directions, while an algebraically stretched mesh is used in the v-direction as in [1,2].

The compressible Navier–Stokes, species continuity, and total energy equations were solved using the Sandia DNS code, S3D, with a  $4^{\text{th}}$ –order Runge–Kutta method for time integration and an  $8^{\text{th}}$ –order central differencing

scheme for spatial discretization. A detailed hvdrogen/air kinetic mechanism was adopted for DNSs [3]. Improved nonreflecting inflow/outflow boundary conditions [4,5] were used in the x- and y-directions and periodic boundary conditions were applied in the homogeneous z-direction. Based on the fuel jet velocity and the streamwise domain length, a flow-through time,  $\tau_j = L_x/U_j$ , is 0.125 ms. To obtain a stationary lifted flame while reducing computational cost, a simulation with a grid resolution of 40 µm was first performed until the flame attained statistical stationarity. The solutions from the simulation were then mapped onto a finer grid of 15 µm and used as an initial condition for the fully resolved simulations. Note that the steady lift-off heights are found to be approximately  $\overline{h}_{H}/H$ 



Figure 1. 3–D volume rendering of OH and  $HO_2$  mass fractions of turbulent lifted hydrogen jet flames for Cases L, M, and H (from left to right)

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=2.4,  $\overline{h}_{M}/H$ =4.0, and  $\overline{h}_{L}/H$ =5.3. Figure 1 shows 3-D volume-rendering of the mass fraction of OH and HO<sub>2</sub> at  $t/\tau_{j}$ =2.0.

Chemical explosive mode analysis (CEMA) is adopted to further identify the characteristics of the lifted flamebases [6,8]. CEMA is briefly introduced here and for more details of it, refer to [6,7]. The differential equations of a typical reacting flow can be described in discretized form as:

$$\frac{D\mathbf{y}}{Dt} = \mathbf{g}(\mathbf{y}) = \boldsymbol{\omega}(\mathbf{y}) + \mathbf{s}(\mathbf{y}),$$

where D/Dt is the material derivative and **y** represents the solution vector of species concentrations and temperature. The chemical source term is denoted as  $\boldsymbol{\omega}$ , while all non-chemical source terms such as diffusion in flames and homogeneous mixing term in stirred reactors are represented by **s**.

CEM is defined as a chemical mode of which real part of the eigenvalue,  $\lambda_e$ , is positive. CEM represents the reciprocal chemical time scale of a local mixture and as such, the existence of CEM implies that the corresponding mixture is explosive in nature. It is, therefore, apt to auto-ignite when the mixture resides in a lossless environment with negligible **s**. CEM is an intrinsic characteristic of ignitable mixtures.

In nonpremixed turbulent flames, the loss of heat and radicals can be characterized by the mixing or scalar dissipation rate,  $\chi$ , which is defined by  $\chi = 2D|\nabla \xi|^2$ , where D is local thermal diffusivity. The competition between the CEMs and the loses can approximately be quantified by a Damköhler number defined by  $Da_c = \lambda_c \cdot \chi^{-1}$ . Note that mixture with  $Da_c \gg 1$  indicates a dominant CEM which will be likely to result in actual ignition; otherwise ignition may be suppressed by the losses.

Figure 2 shows isocontour of  $Da_c$  in logscale for the cases. Note that a large positive  $Da_c$  in red indicates that the CEM dominates the mixing process such that the mixture is auto-igniting. A large negative  $Da_c$  in blue, however, indicates fast reacting post-ignition mixture such that its overall reaction progress can be limited by the slower local transport process. As such, the dark blue regions in Fig.



Figure 2. Isocontours of sign( $\lambda_e$ )×log<sub>10</sub>(max (1,| $Da_e$ |)) for Case L, M, and H (from left to right). White lines denote th flamebase with  $Da_e = 1$ .

2 contain diffusion flame kernels. It is also readily observed that for Case H, there exist two strips of auto-igniting mixtures (red) upstream of the flamebase, leading to ignited mixtures (blue). This result verifies that the stabilization mechanism of Case Η is auto-ignition. In Cases L and M, however, large positive  $Da_c$  occurs only at narrow regions right upstream of the flamebase, which corrspond to the preheated zone of a premixed flame. This result verifies that turbulent lifted flames for Cases L and M are mainly stabilized by flame propagation whereas the stabiliztion of the lifted flame for Case H is primarily attributed to auto-ignition of fuel-lean mixtures upstream of the flamebase.

The physicochemical characteristics of the flames are further investigated using the explosion index (EI) and participation index (PI), which represent the contribution of variables and reactions to CEM, respectively. The EI and PI vectors are defined as [6,7]:

$$\mathbf{EI} = \frac{|\mathbf{a}_e \otimes \mathbf{b}_e^T|}{sum(|\mathbf{a}_e \otimes \mathbf{b}_e^T|)'} \quad \mathbf{PI} = \frac{|\mathbf{b}_e \cdot \mathbf{S} \otimes \mathbf{R}|}{sum(|(\mathbf{b}_e \cdot \mathbf{S}) \otimes \mathbf{R}|)'}$$

Figure 3 shows EI-weighted color-mixing contours of important variables to the CEM. In addition, the variables and reactions with large EI and PI values at ten different locations are listed in Table 1. For all cases, temperture is found to be the most important variable right upstream of the flamebase. This is because temperaure becomes critical to a CEM in the preheated zone of premixed flame. Unlike Cases L and M, however, O and OH radicals are found to be important in the auto-igniting layers that can stabilize the lifted

Point	Location	EI (value,	PI (value,
		variable)	variable)
1	x=-4.03H	0.99, H <sub>2</sub>	$0.49, R3: OH + H_2 = H_2O + H$
	y=13.18H		0.13, R9: H + $O_2$ + M = $HO_2$ + M
2	x=-2.61H	0.40, O	$0.69, R9: H + O_2 + M = HO_2 + M$
	y=9.24H	0.27, H	$0.14, R8: H + OH + M = H_2O + M$
3	x=-1.71H	0.56, H 0.70 PS: H + OH + M = H O + N	$0.70  D^{\circ} \cdot U + OU + M = UO + M$
	y=6.90H	0.19, O2	$0.70, \text{ Ro} \text{ H} + \text{OH} + \text{M} - \text{H}_2\text{O} + \text{M}$
4	x=-1.81H	0.49, H2	$0.49, R1: H + O_2 = O + OH$
	y=5.34H	0.47, T	0.47, R9: H + $O_2$ + M = $HO_2$ + M
5	x=2.01H	0.37, H	$0.67, R9: H + O_2 + M = HO_2 + M$
	y=6.968H	0.28, H2	$0.18, R8: H + OH + M = H_2O + M$
6	x=1.05H	0.84, T	$0.34, R11:HO_2 + H = OH + OH$
	y=12.48H		0.19, R3: OH + $H_2$ = $H_2O$ + H
7	x=-1.26H	0.87, T	0.13, R9: H + $O_2$ + M = $HO_2$ + M
	y=3.33H		$0.38, R1: H + O_2 = O + OH$
8	x=-1.47H	0.53, T	0.50, R9: H + $O_2$ + M = $HO_2$ + M
	y=2.13H	0.41, H2	0.50, R1: H + $O_2$ = O + OH
9	x=-1.23H	0.69, T	$0.48, R9: H + O_2 + M = HO_2 + M$
	y=2.04H	0.15, H2	$0.47, R1: H + O_2 = O + OH$
10	x=-0.93H	0.80, O	$0.40, R9: H + O_2 + M = HO_2 + M$
	y=0.54H		0.40, R1: H + $O_2$ = O + OH

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Table 1. EI and PI values at selected points

flame in Case H. In addition, two important reactions that control the auto-igniting layer are R1 and R9. This is because R1 and R9 are two competing reactions determining the  $2^{nd}$ explosion limit of  $H_2/O_2$  mixture. It is also of interest to note that even in the preheated zone of Case L & M, and thermal ignition layer of Case H where temperature governs the CEM, R1 and R9 are also found to be the two most important reactions to the CEM. It is primarily because R9 is one of the major heat release reactions and R1 is the major endothermic reaction in both premixed and non-premixed  $H_2/air$  flames.

In the lean mixtures of the lifted flames,  $H_2$  becomes important to the CEM; however, in the rich mixtures of the flames, H becomes critical to rich premixed flame. From PI analysis (see Table 1), it is readily observed that in the lean mixures (Point 1), two major heat release reactions, R3 and R9 are identified as the most important reactions to the CEM. In the rich mixtures (Points 3 and 5), however, R8 and R9 are found critical to the CEM. It is also of importance to note that near the stoichiometric mixtures (Point 2), O and H are important EI species and R9 & R8



Figure 3 EI-weighted color-mixing contours of temperature (red), H2 (blue), H (green), O (cyan), and O2 (yellow) for Cases L, M, and H. White lines denote the flamebase with  $Da_c$  =1.

are the critical PI reactions.

characteristics of The stabilization mechanism and flame structure of turbulent lifted hydrogen jet flames in heated coflow at three temperatures of 750, 850 and 950 K near auto-ignition limit were investigated with a Overall detailed  $H_2/O_2$ mechanism. flame explosive structure and chemical mode analyses revealed that auto-ignition is the main stabilization mechanism of the lifted jet flame for Case H; however, for Cases L & M, normal flame propagation is found to be the main stabilization mechanism rather than auto-ignition. For all cases, T and H2 are important variables in the preheated zone and thermal ignition layer upstream of the flamebase, where R1 and R9 are found the most importance reactions to the CEM.

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